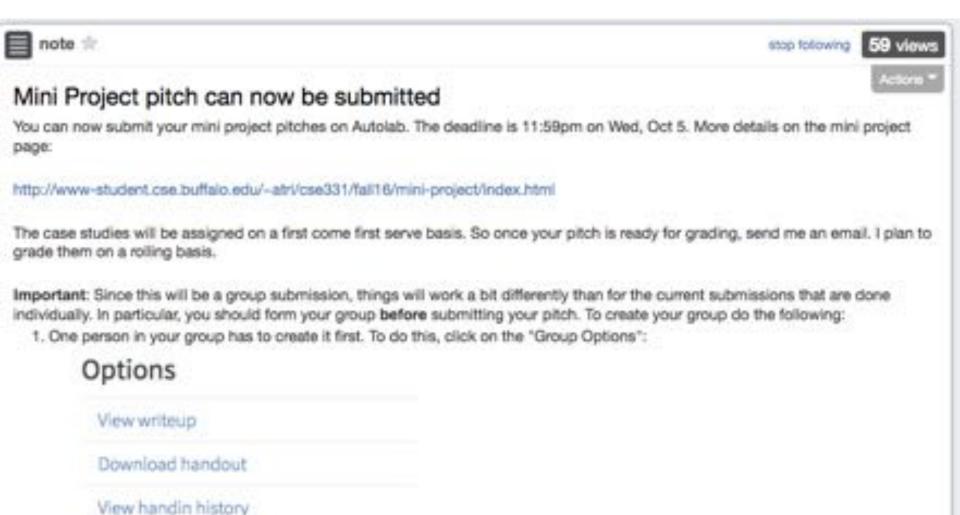
Lecture 13

CSE 331 Sep 28, 2016

Mini Project Pitch due in a week



Group options

T/F polls up on piazza



stop following





The first true/false question

I was originally working having a weekly True/false question on piazza but I got distracted with the programming questions. The idea with these questions is so that you guys have more experience with T/F questions that II be there in the quizzes and exams. I will be posting five such questions over the rest of the evening.

Going forward, every Wednesday (or so) I will post a statement in a poll and ask you guys to vote True or False. (Please just vote and do not post your justification: yet.) Then after two days, I will give the correct answer (and we will see how well crowd-sourcing works in this context) and then ask for you guys to construct the correct justification. Note that this is to give you guys more practice for the true/false questions on the exams. So try and work on these on your own so that you gain some practice.

Anyhow, here is the question for this week. Is the following statement True or False?

Given n numbers a_1, \ldots, a_n such that for every $i \in [n]$ (we will use [n] to denote the set of integers $\{1, \ldots, n\}$) we have $a_i \in \{0, 1\}$. That is, we are given n numbers each of which is a bit. Then we can sort these n numbers in O(n) time.

○ True

False

#pin

Submit

You have not yet voted.

Today's agenda

Computing Connected component (with DFS)

DFS(u)

Mark u as explored and add u to R

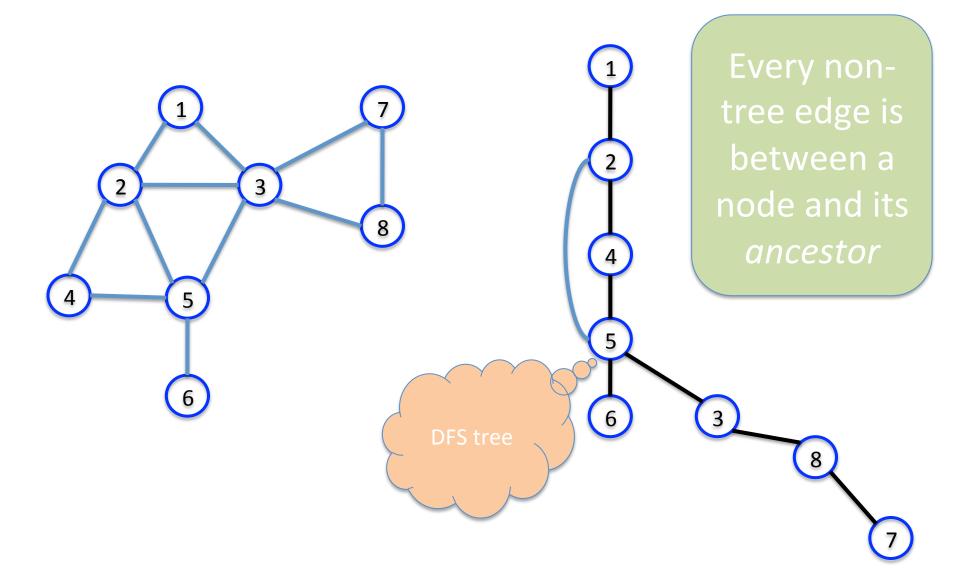
For each edge (u,v)

If v is not explored then DFS(v)

Why is DFS a special case of Explore?



A DFS run

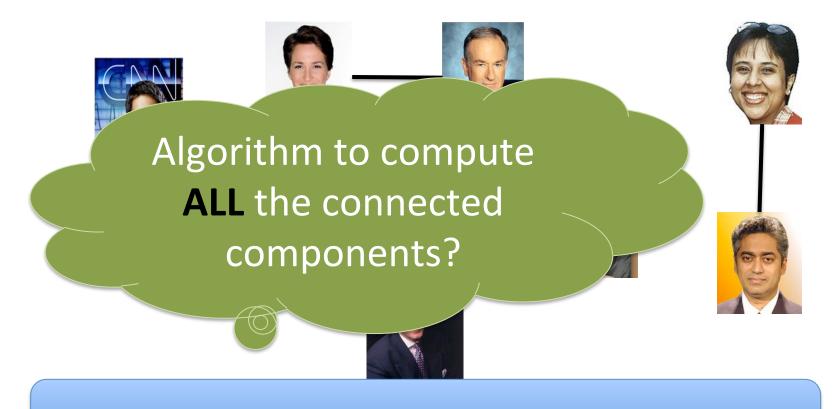


Questions?



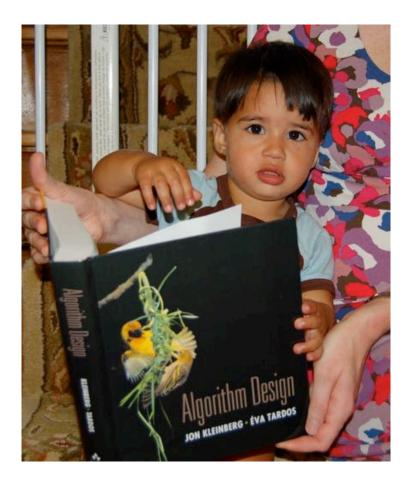
Connected components are disjoint

Either Connected components of s and t are the same or are disjoint



Run BFS on some node s. Then run BFS on t that is not connected to s

Reading Assignment



Sec 3.2 in [KT]

Rest of today's agenda

Run-time analysis of BFS (DFS)



Stacks and Queues



Last in First out

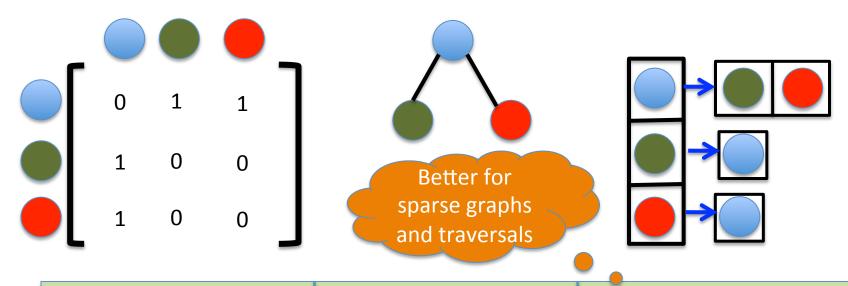


First in First out

But first...

How do we represent graphs?

Graph representations



Adjacency matrix		Adjacency List
O(1)	(u,v) in E?	O(n) [O(n _v)]
O(n)	All neighbors of u?	O(n _u)
O(n ²)	Space?	O(m+n)

Questions?

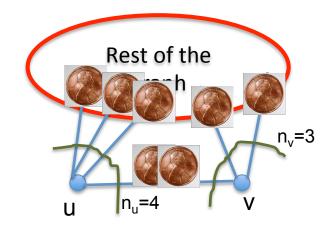


$2 \cdot \#$ edges = sum of # neighbors

$$2m = \sum_{u \text{ in } V} n_u$$

Give 2 pennies to each edge

Total # of pennies = 2m



Each edges gives one penny to its end points

of pennies u receives = n_u

Breadth First Search (BFS)

Build layers of vertices connected to s

$$L_0 = \{s\}$$

Assume L₀,...,L_i have been constructed

 L_{j+1} set of vertices not chosen yet but are connected to L_j

Stop when new layer is empty

Use linked lists

Use CC[v] array

An illustration

