Lecture 28

CSE 331

Nov 4, 2019

Survey due by 11am Wed

Submitting the survey

The peer evaluation survey will have to be filled on https://cse.buffalo.edu/teamwork . You will evaluate yourself and your groupmates in all the five categories.

The workflow

- 1. Between 12:00pm on Monday Nov 4 and 10:59apm on Wednesday Nov 6 the website above will be ready for you.
- 2. You will need to enter your UB email and click on a button to generate a verification code.
- 3. You will have limited time (~10 mins) to enter the verification code into the webage.
- 4. You will then fill in the survey: the website will ask you to evaluate yourself and your groupmates in all the five categories above.
- 5. Your part is done. Atri will use your survey responses and your video submission to post your video mini-project scores on Autolab (the scores will be posted on your video submission).

UB CSE Evaluation Form

Please enter your UB email address! You'll then receive a verification code you can type in further down the page.

ubitname@buffalo.edu

Get Verification Code

Already have valid code?

Problem 4 on Mini Project



stop following

7 views

Problem 4 on Coding Project is now live!

As promised in @1114, Autolab is now accepting submissions for Problem 4 for the coding project. The coding project webpage has been updated with the required coding details:

http://www-student.cse.buffalo.edu/~atri/cse331/fall19/coding-project/index.html

Few things to keep in mind:

- As with problem 1 (@801), 2 (@980) and 3 (@1114) this is group submission-- please see the webpage for instructions on how to do so. Please follow the instructions EXACTLY. Not following the instructions might make the group submission on Autolab not behave as intended.
- You have to form your group AGAIN for Problem 4 on Autolab-- it unfortunately does not carry over from Problem 1 or Problem 2 or Problem 3.
- Please download the zip for Problem 4 and use that for Problem 4 submission. In particular, do NOT use the zip for Problem 1 or 2 or 3 for Problem 4.
- Problems 5 should be up by end of this week.

If you have questions, please post on piazza! Or go to office hours. Have fun :-) #pin

coding_mini_project



good note 0

Updated 26 seconds ago by Atri Rudra

Changes in TA office hours



stop following



TA office hour changes

The following changes are effective immediately (i.e. Monday onwards) for the rest of the semester:

- We will not be having any 1-on-1 appointments anymore. Essentially none of you were making use of this and it seemed like a waste to have those. So going forward all office hours will be drop ins.
- Veronica's Tuesdays 5-5:50pm office hours are canceled. Going forward she will only have OHs on Wednesdays 5-5:50pm.

The changes above have been made on the course webpage as well as the course calendar.

#pin

office_hours



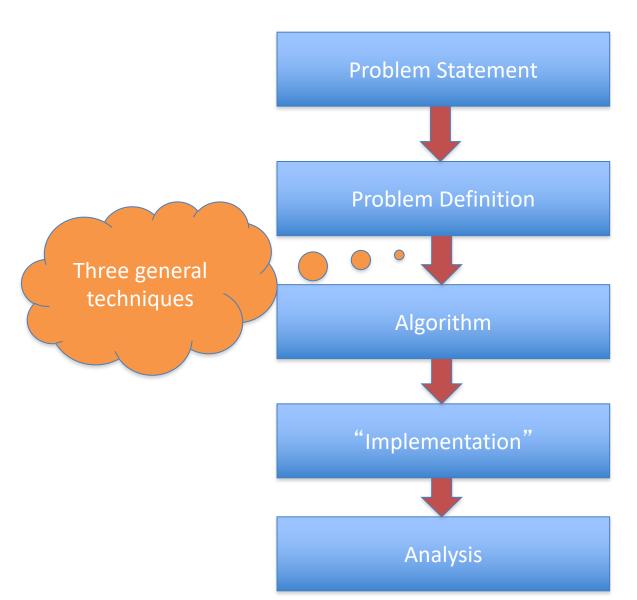
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Updated 2 days ago by Atri Rudra

Questions?



High level view of CSE 331



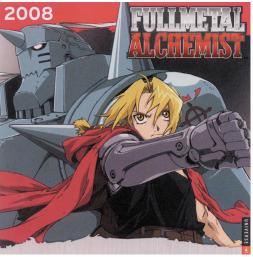
Data Structures

Correctness+Runtime Analysis

Greedy Algorithms

Natural algorithms





Reduced exponential running time to polynomial

Divide and Conquer

Recursive algorithmic paradigm



Reduced large polynomial time to smaller polynomial time

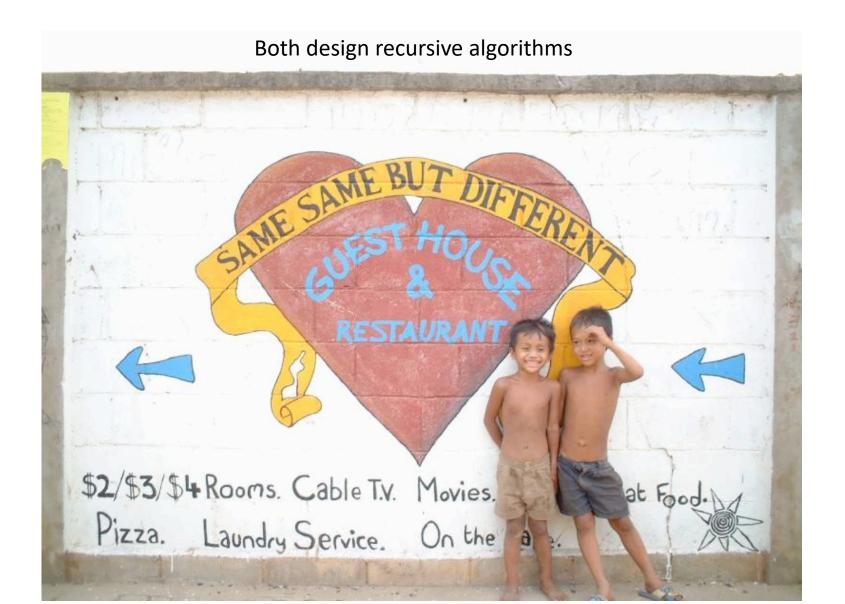
A new algorithmic technique

Dynamic Programming

Dynamic programming vs. Divide & Conquer

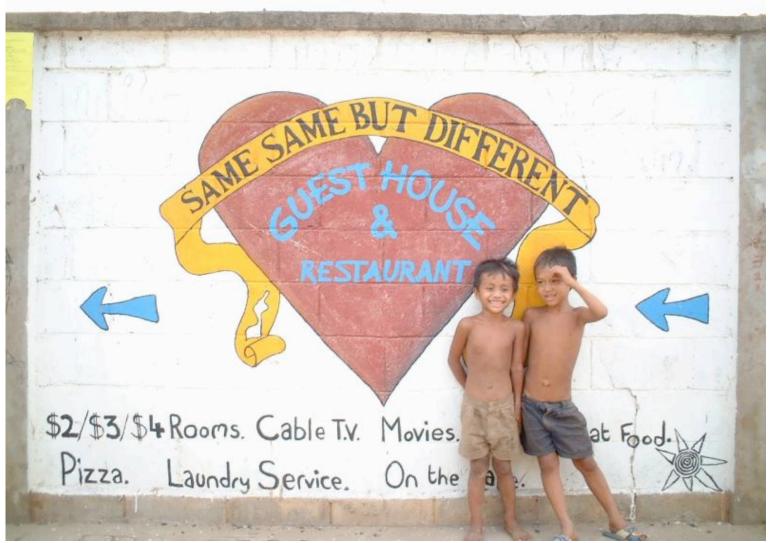


Same same because



Different because

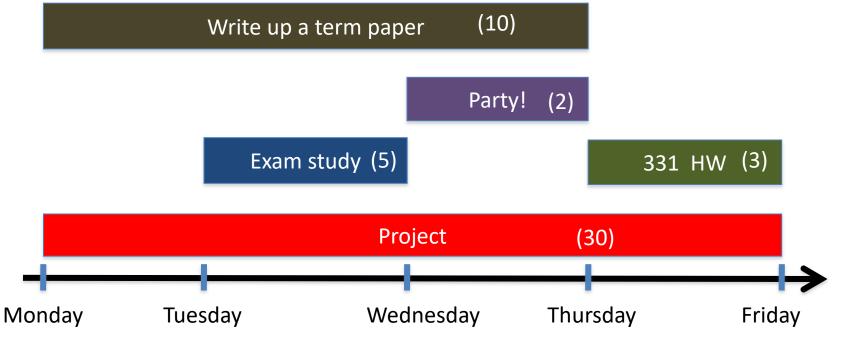
Dynamic programming is smarter about solving recursive sub-problems



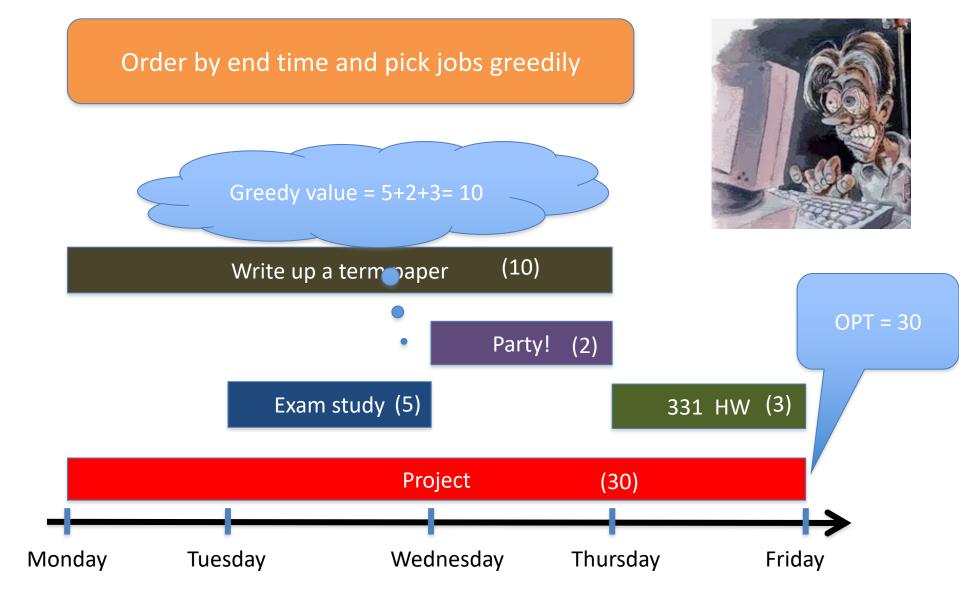
End of Semester blues

Can only do one thing at any day: what is the optimal schedule to obtain maximum value?





Previous Greedy algorithm



Today's agenda

Formal definition of the problem

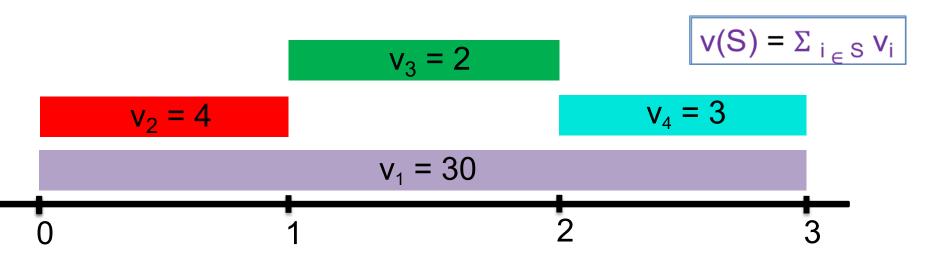
Start designing a recursive algorithm for the problem



Weighted Interval Scheduling



Output: A valid schedule $S \subseteq [n]$ that maximizes v(S)



Previous Greedy Algorithm

```
R = original set of jobs
```

$$S = \phi$$

While R is not empty

Choose i in R where f_i is the smallest

Add i to S

Remove all requests that conflict with i from R

Return
$$S^* = S$$

$$v_3 = 2$$

$$V_2 = 4$$

$$V_4 = 3$$

$$v_1 = 30$$

Perhaps be greedy differently?

```
R = original set of jobs
```

$$S = \phi$$

While R is not empty

Choose i in R where $v_i/(f_i - s_i)$ is the largest

Add i to S

Remove all requests that conflict with i from R

Return
$$S^* = S$$

$$v_3 = 2$$

$$V_2 = 4$$

$$V_4 = 3$$

$$v_1 = 30$$

0

2

3

Can this work?

```
R = original set of jobs
```

$$S = \phi$$

While R is not empty

Choose i in R where $v_i/(f_i - s_i)$ is the largest

Add i to S

Remove all requests that conflict with i from R

$$v_3 = 2$$

$$v_2 = 6$$

$$V_4 = 3$$

$$V_1 = 12$$

Avoiding the greedy rabbit hole



https://www.writerightwords.com/down-the-rabbit-hole/

Provably
IMPOSSIBLE
for a large
class of
greedy algos

There are no known greedy algorithm to solve this problem

Perhaps a divide & conquer algo?

Divide the problem in 2 or more many EQUAL SIZED INDEPENDENT problems

Recursively solve the sub-problems

Patchup the SOLUTIONS to the sub-problems

Perhaps a divide & conquer algo?

RecurWeightedInt([n])

if n = 1 return the only interval

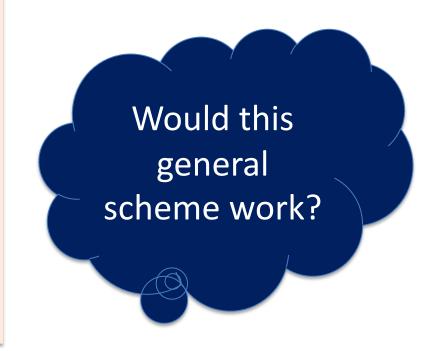
L = first n/2 intervals

R = last n/2 intervals

 $S_L = RecurWeightedInt(L)$

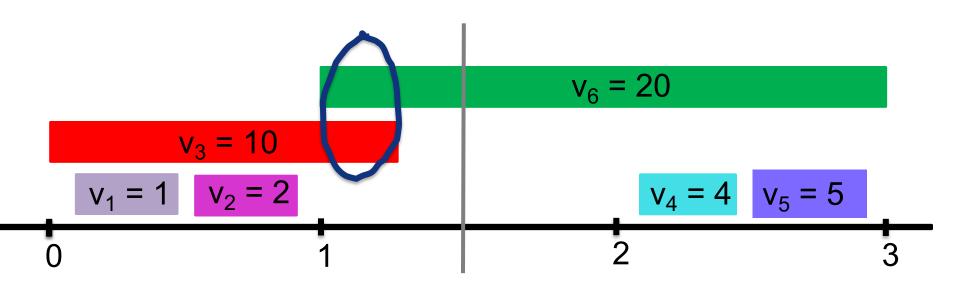
 $S_R = RecurWeightedInt(R)$

PatchUp(S_L, S_R)



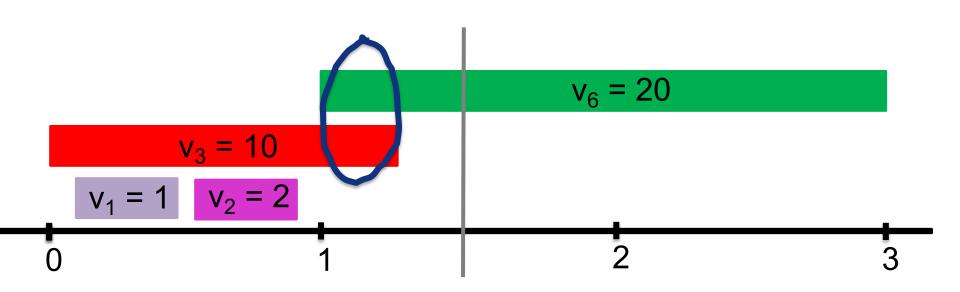
Divide the problem in 2 or more many EQUAL SIZED INDEPENDENT problems

Sub-problems NOT independent!

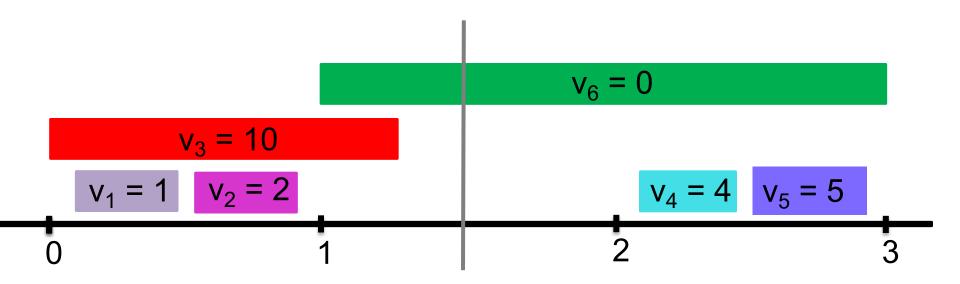


Perhaps patchup can help?

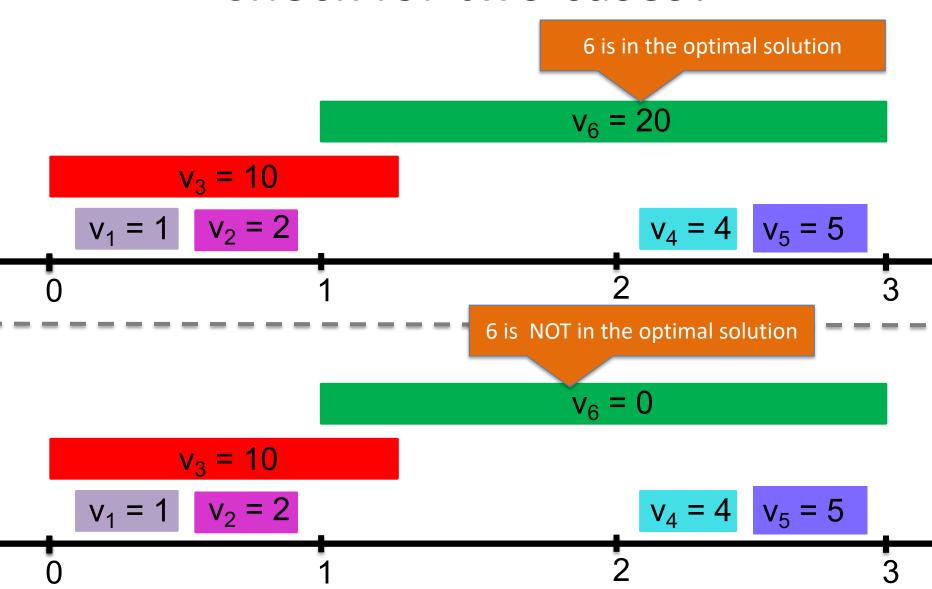
Patchup the SOLUTIONS to the sub-problems



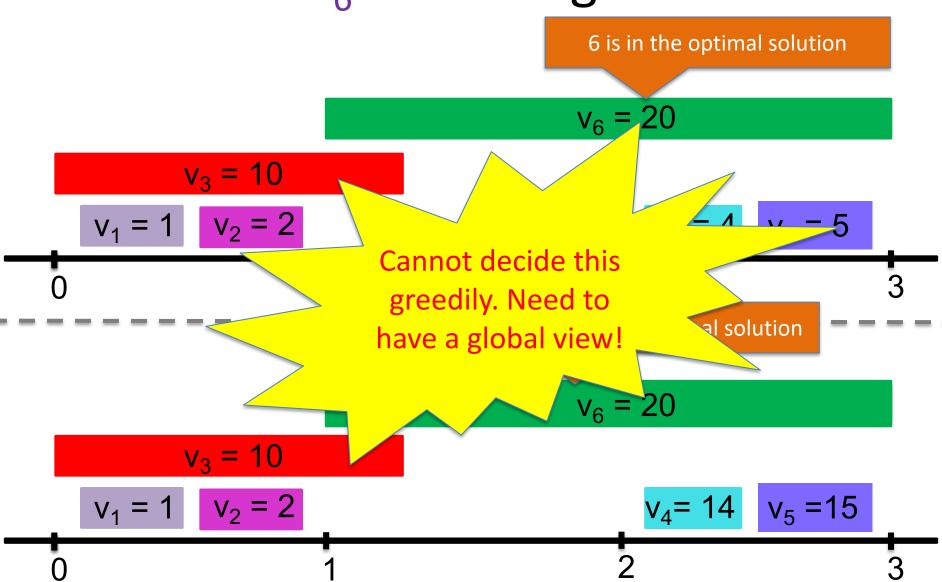
Sometimes patchup NOT needed!



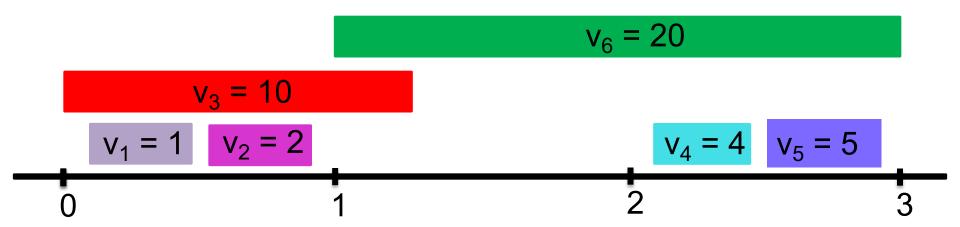
Check for two cases?



Check if v_6 is the largest value?

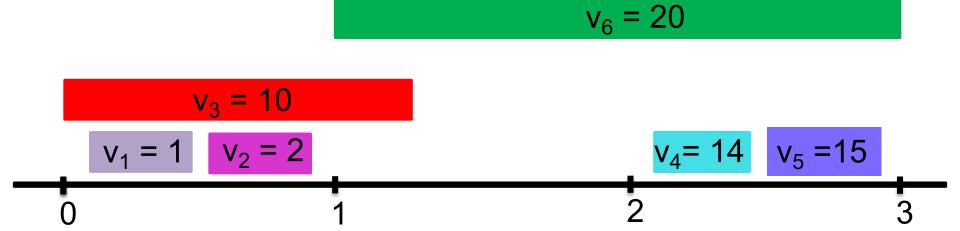


Check out both options!



Case 1: 6 is in the optimal solution

6 is not in optimal solution





So what sub-problems?

Divide the problem in 2 or more many EQUAL SIZED

INDEPENDENT problems



