## Lecture 12

CSE 331
Sep 27, 2021

## Please have a face mask on

Masking requirement


LIR requires all students, employees and visitors - regardless of their vaccination status - to wear face coverings while inside campus buildings.

## If you need it, ask for help



## Project groups due FRIDAY! Deadline: Friday, Oct 1, 11:59pm



## Forming groups

## Propect Ovanies

Group signop form

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## U) Note

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## Upcoming quiz/exams

Quiz 1 Friday NEXT week
Mid-term 1 Monday in TWO weeks

Mid-term 2 Wed two days after Mid-term 1

Piazza post (+sample mid-terms) up by Thur. on preparing for mid-terms

## Questions?



## Connectivity Problem

## Input: Graph $\mathrm{G}=(\mathrm{V}, \mathrm{E})$ and s in V

Output: All t connected to s in G

Connected
component of $s$ :
CC(s)

## Breadth First Search (BFS)

Build layers of vertices connected to s
$\mathrm{L}_{0}=\{\mathrm{s}\}$

Assume $\mathrm{L}_{0}, . ., \mathrm{L}_{\mathrm{j}}$ have been constructed
$L_{j+1}$ set of vertices not chosen yet but are connected to $L_{j}$

Stop when new layer is empty

## BFS Tree

## BFS naturally defines a tree rooted at s

$\mathrm{L}_{\mathrm{j}}$ forms the $j$ th "level" in the tree
$u$ in $L_{j+1}$ is child of $v$ in $L_{j}$ from which it was "discovered'


## Two facts about BFS trees

All non-tree edges are in the same or consecutive layer

If $u$ is in $L_{i}$ then $\operatorname{dist}(\mathrm{s}, \mathrm{u})=\mathrm{i}$

## Questions/Comments?



## Rest of today's agenda

Computing Connected component

## Computing Connected Component



Explore(s)<br>Start with $R=\{s\}$<br>While exists ( $u, w$ ) edge w not in $R$ and $u$ in $R$<br>Add w to R<br>Output $\mathrm{R}^{*}=\mathrm{R}$

Argue correctness on the board...

## BFS



## Depth First Search (DFS)


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B) $\angle$ CTINGSTRK

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I REPRCY NEED TO STOP USNG DEPIH FRST SEARCHES.

## DFS(u)

Mark $u$ as explored and add $u$ to $R$

For each edge ( $u, v$ )

If $v$ is not explored then DFS( v )

## Why is DFS a special case of Explore?



## A DFS run



## Questions/Comments?



## Connected components are disjoint

Either Connected components of $s$ and $t$ are the same or are disjoint


Computing all CCs




## Questions?



